

Lecture Contents

- Review of measuring voltage and current
- Understanding Parallel Resistors
 - Kirchhoff's Current Law
 - Equivalent Resistance

Turning the Multimeter Off

- Turn the power off when you are finished using the multimeter.
- The meter will also first beep, then turn itself off if it hasn't been used for a time.







- When measuring **resistance** or **voltage**, insert:
 - the **black** lead into the "COM" (common) port, and
 - the **red** lead into the " $V\Omega +$ " port.



By convention:

- Black is used for negative (or ground)
- RED is used for positive voltage

- To measure
 resistance, set the
 dial to the
 appropriate value.
- The value on the dial should be slightly larger than the resistor value.







 If the dial setting is too low, the screen will read OL (over limit).

Try a higher setting or, check the connections.







• If the dial setting is too high, the screen will measure zero or a small number.

Try a lower setting to get a more accurate reading.



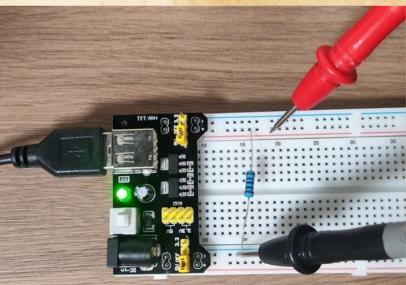




Warning

- Do **NOT** try to measure resistance when the resistor is in a circuit.
 - The value will be incorrect
 - If the power is on, it will likely damage the meter.







Measuring Voltage

- To measure voltage, set the dial to the appropriate value.
- Since we have a
 5 volt power supply,
 in most cases, the
 20V setting will be
 appropriate.

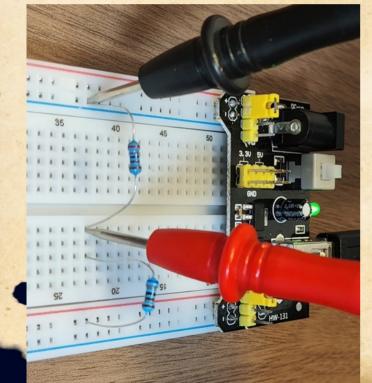


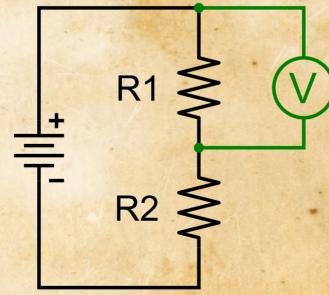




Measuring Voltage

• Measure voltage drop across elements

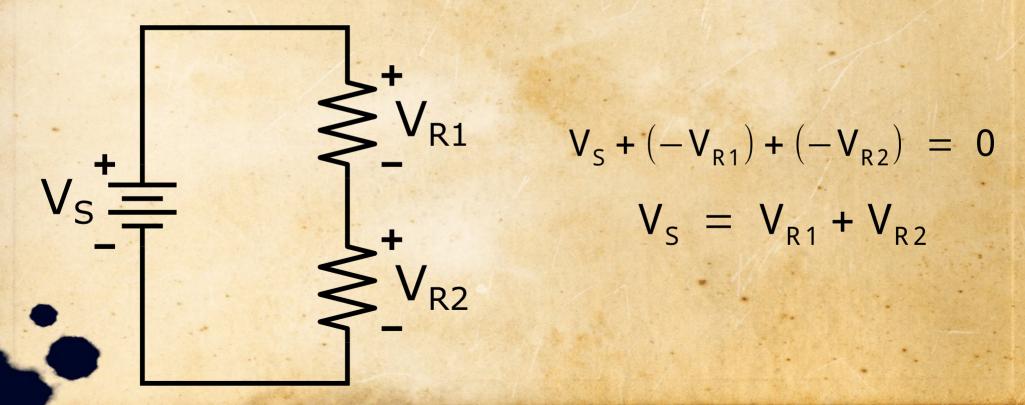






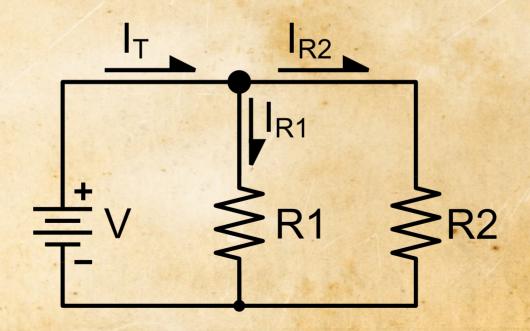
Kirchhoff's Voltage Law

the algebraic sum of all voltages around any closed loop is zero.



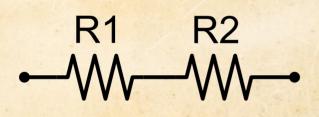
Kirchhoff's Current Law

• The sum of all currents into a node equals the sum of all currents out of the node.

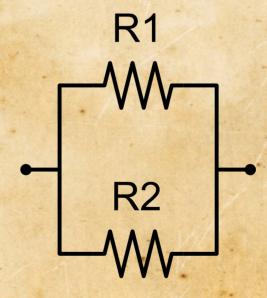


Series Versus Parallel Resistors

• The current splits between two or more paths in a parallel circuit.



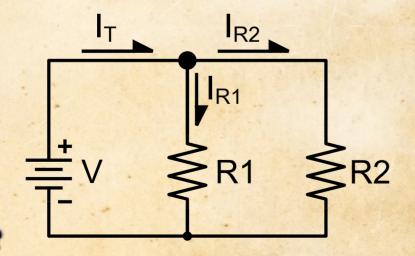
Series Resistors

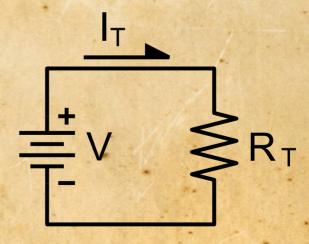


Parallel Resistors

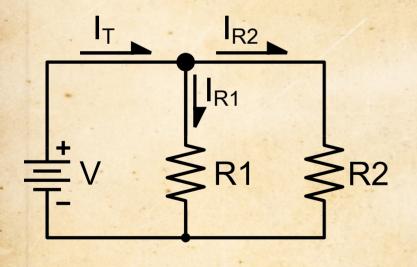


- To the voltage source, is no difference between the two resistors and a single resistor with an *equivalent resistance*.
 - The equivalent resistor value can be calculated.





• To calculate the *equivalent resistance*, we will first calculate the currents.

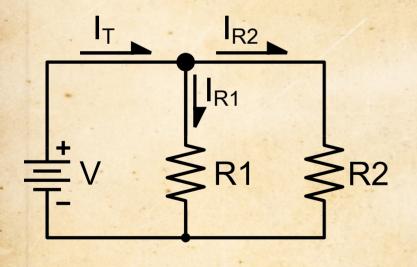


$$I_{R1} = I_{R2} =$$

And, using Kirchhoff's Current Law:

$$I_T =$$

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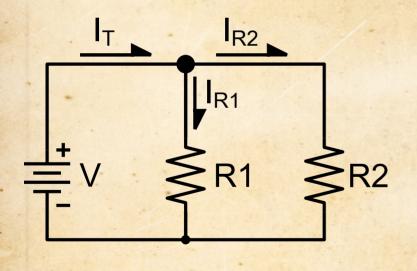


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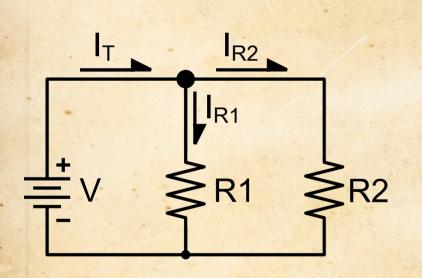


$$I_{R1} = \frac{V}{R1} \qquad I_{R2} = \frac{V}{R2}$$

And, using Kirchhoff's Current Law:

$$I_T = I_{R1} + I_{R2}$$

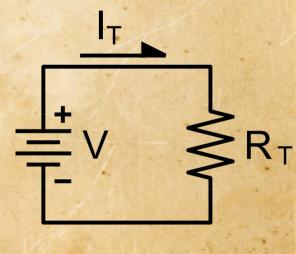
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$$I_{R1} = \frac{V}{R1}$$

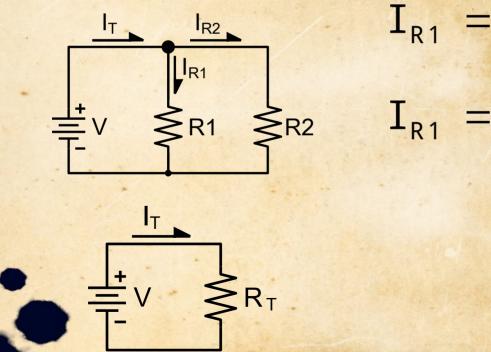
$$I_{R2} = \frac{V}{R2}$$

$$I_{T} = I_{R1} + I_{R2}$$



$$I_T = \frac{V}{R_T}$$

• To calculate the *equivalent resistance*, we will first calculate the currents.



$$I_{R1} = \frac{V}{R1} \qquad I_{T} = \frac{V}{R_{T}}$$

$$I_{R1} = \frac{V}{R1} \qquad I_{T} = I_{R1} + I_{R2}$$

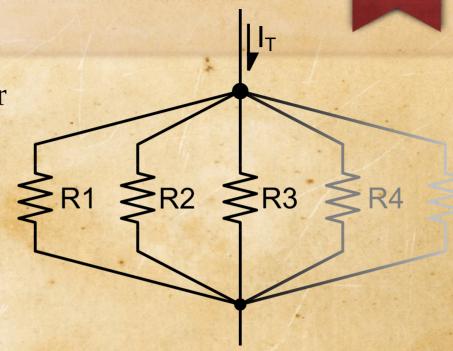
$$\frac{V}{R_T} = \frac{V}{R_1} + \frac{V}{R_2}$$

$$\frac{1}{R_{T}} = \frac{1}{R_{1}} + \frac{1}{R_{2}}$$

 We can extend this to any number of parallel resistors

$$I_T = I_{R1} + I_{R2} + I_{R3} + \dots$$

$$\frac{V}{R_T} = \frac{V}{R1} + \frac{V}{R2} + \frac{V}{R3} + \dots$$



$$\frac{1}{R_{T}} = \frac{1}{R1} + \frac{1}{R2} + \frac{1}{R3} + \frac{1}{R4} + \dots$$

